PECULIARITIES OF GASDYNAMICS OF DESCENT AND LANDING ON PLANETS WITH RAREFIED ATMOSPHERE

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Introduction

One of the ways to provide soft landing on a planet surface is the usage of a brake-engine with thrust opposite to space vehicle movement. In this connection it is necessary to investigate interference between the brake-engine jet and oncoming flow in the planet atmosphere, and also between the jets and surface. Shapes of examined models (lunar module and Martian probe) are illustrated in Fig. 1.

TSNIIMash was one of the first scientific centers where such investigations had been started dealing with force and heat loads from the engine jets acted on the space vehicle structure during soft landing on the lunar and Martian surfaces.

Interaction of single/multiple jet with oncoming flow or surface is characterized by appearance of a large number of shock waves, contact surfaces, separated zones and other peculiarities and this defined the necessity of fulfillment of extensive experimental studies. For these aims U-22 and U-22M vacuum chambers were created in TSNIIMash in 1970-ies and 1980-ies.

Some results regarding drag coefficient of the space vehicle with working jets are presented below.

1. Interaction of the jets with oncoming flow

Gasdynamic pattern of interaction between one or several jets and oncoming flow is studied in detail [1-7]. Jet flow, interacting with oncoming flow, generates a contact surface, and a stagnation zone appears behind the latter. This zone may be closed on the body surface or stay open. Pressure in the zone defines a local jet pressure ratio 

\[ n_a = \frac{P_a}{P_\infty} \]

for working jets (\( P_a \) – pressure at a nozzle exit, and \( P_\infty \) – ambient pressure). At supersonic flow velocity, a shock is generated in front of the contact surface and unstable flow regimes may appear.

Injection of one or several jets from the drag screen causes always pressure fall at the screen and drag decreases. The influence of one central jet in case when the drag screen is a blunted cone with half-cone angle \( \theta = 70^\circ \) at angle attack \( \alpha = 0 \) is shown in Fig. 2. Here \( M_a, M_\infty \) – Mach numbers at the nozzle exit and in outside flow, correspondingly; \( \text{Re}_a \) – Reynolds number at the nozzle exit; \( P \) – pressure at the screen surface; \( P_\infty \) – pressure past normal shock in the outside flow; \( L_k \) – a distance along the jet axis from the nozzle exit to the contact surface [3]; \( r_a \) – the nozzle exit radius; \( r \) – a coordinate of a point on the screen surface with origin on its center.

Increase of the jet injection intensity, defined by the value \( L_k \), when the latter is small, causes reduction of pressure level mainly in the central part of the screen surface. If \( L_k \) value is large, the drag screen wholly is located in the stagnation zone, and pressure reduces on the whole screen surface.

The influence of 4 injected jets placed over the drag screen periphery is illustrated in Fig. 3 (the nozzle position is \( r/r_a = 8 \)). The jets influence is small near the screen central part and at the screen periphery pressure reduces a little with increased rate of gas injection.

Pressure level on the screen surface is significantly higher in case of 4 jets, comparing with single central jet, and this causes increase of the screen drag coefficient \( C_x \). It was a reason to choose 4-jet configuration of Martian probe 5M (Fig. 1b).
Fig. 1. Principal scheme of the models (a-lunar module, b-Martian probe).

Fig. 2. Influence of injection of central oncoming jet on pressure distribution over nose screen.

Fig. 3. The influence of four opposite jets on pressure distribution over the nose screen, model 5M, $M_a=4.73$; $Re_a=10^6$.

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20
1. Vacuum chambers for studying gasdynamic process of interaction between vacuum jets and obstacle

It is necessary to solve two problems during simulation of space vehicles soft landing on surfaces of planets with rarified atmosphere. The first one is connected with required value of model jet pressure ratio, and the second – with reproduction of general gasdynamic similarity parameters $M_a$, $\kappa_a$, $Re_a$, etc. These problems may be solved only with the help of vacuum chambers and specific test techniques. In order to simulated more completely all elements of the full-size vehicle which are situated in the reflected flow of the jet, it is necessary to fabricate large-scale models which may be tested in the large-scale vacuum chambers. U-22M vacuum chamber with volume $V=170$ cu.m, initial pressure $P\sim 1$Pa, and U-22 vacuum chamber with volume $V=930$ cu.m, initial pressure $P\sim 0.1$Pa give opportunity to obtain required values of jet pressure ratio in a wide range [8].

Pulse ignition of the model engine is realized using gasgenerator of powder combustion products with combustion temperature 2200-2400 K, or with the help of diaphragm unit with compressed air or another gases as working body.

The model scale is chosen from the point of view to simulate $Re_a$ and provide required critical section of the model nozzle, its weight, initial jet pressure ratio with initial pressure in the vacuum chamber, and time period when gasdynamic parameters are recorded.

\begin{align*}
\text{a) } M_\infty &= 1.1; M_a = 1.0; Re_a = 16.2 \cdot 10^6 \\
\text{b) } M_\infty &= 1.5; M_a = 3.2; Re_a = 9.4 \cdot 10^6
\end{align*}

Usually it is based on the condition $\frac{(P_{oc})_{model}}{(P_{oc})_{vehicle}} = \frac{(d_*)_{model}}{(d_*)_{vehicle}}$, where $P_{oc}$ – pressure in the engine chamber, $d_*$ – the nozzle critical section diameter.

Pulse ignition of the model generator and a small period of time for recording parameters ($\Delta \tau=0.05-0.15$ s) impose definite requirements on instrumentation, which have to measure very small values and operate in extreme conditions – at high temperature and under shock and vibration loading.

A system for measurement of forces and moment was developed with present level of dynamic errors (<10%), and natural frequency of the system model-balance-suspension satisfies a condition $f_n \Delta \tau \geq 3$ ($f_n$ – natural frequency). The weight is also limited, because at $f_n >90-100$ Hz its weight should be less 120-150 g.

In accord with present techniques a measurement error for forces and moment is $\pm (10-15)\%$, measurement error for pressure acted on the model is $\pm (8-10)\%$ with confidence probability $P=0.95$.

Thus the test technique [9] permits to conduct all necessary measurements and optical study with light models (scale 1:5 – 1:20, $d_* >2$ mm) during the time interval 0.05-0.15 s).

2. Peculiarities of gasdynamic aspects of soft landing

Investigation of gasdynamics related to soft landing requires study of interaction between one/several jets and landing surface and between reflected flow and structure elements of a landing module.

Interaction between jets with moderate pressure ratio and an obstacle is investigated in details [10-12]. Information about interaction of rather underexpanded (exhausting into vacuum) jets is presented in works [13-15].

For case of several jets interacting with an obstacle there are only some works related to study of physical flow pattern and loads acted on the obstacle surface [16].

Experimental studies had shown that values of distributions of the gasdynamic loads acted on the obstacle are sensitive to the variation of $M_a$, $\kappa_a$, $\beta$, $h$, $\delta$. The typical profile of pressure variation over the surface for case of two jets is presented in Fig. 4 and it is characterized by maximum in the region where a stream with low entropy impinges the surface. The ranges of the parameters variation were the following: $M_a=3.5$, $\kappa_a=1.12-1.4$, angle of inclination of the jet axis to the surface $\beta=0-20^\circ$, $h/\delta=2-5$ ($h$ - a distance from the nozzle exit to the surface; $\delta$ - a distance between centers of the nozzles exit sections, Fig. 4).
Interaction of reflected flow with structure elements of the landing module has individual behavior in each case, and a small volume of available experimental data about integral loads were obtained during onground development of specific vehicles.

Integral characteristics of the landing lunar module model with central position of a brake-engine (single nozzle) and four disk-shaped supports placed on landing units (Fig. 1a) were investigated (by Melbard, TSNIIMash) in the next ranges of initial parameters:

\[ M_a = 3.36, \quad \kappa_a = 1.25; 1.4; 1.67, \quad \alpha = 0-30^\circ, \quad h/\delta = 5-15, \quad Re_a = (1-4.5) \times 10^6, \quad n_a = 10-1000. \]

Axial force coefficient \( C_x \) for this vehicle is plotted against \( n_a \) with various \( Re_a \) and \( h/\delta \) is presented in Fig. 5. Here \( C_x = X/(q_a \cdot S_a) \), \( X \) – axial force, \( q_a = 0.5 \kappa_a M_a^2 P_a \), \( S_a \)-the nozzle exit area.

Integral gasdynamic characteristics for the landing module of similar configuration but with twin nozzle (Fig. 1a) were investigated with the following initial parameters: \( M_a = 3.36, \kappa_a = 1.25; 1.4; 1.67, \alpha = 0-30^\circ, \quad h/\delta = 5-15, \quad Re_a = (1-4.5) \times 10^6, \quad n_a = 10-1000. \)

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Integral characteristics are plotted against large jet pressure ratio in Fig. 6. When jet pressure ratio is close to its real value ($n_a \approx 10^{-12}$), all gasdynamic characteristics depend significantly on this parameter. Axial component increases with increased $n_a$, and it always has direction opposite to the vehicle motion. Normal component may increase or decrease (its absolute value) with increased $n_a$ and it changes its direction.

Increased number of nozzles makes influence of geometrical parameters $\tilde{h}$ and $\alpha$ on gasdynamic parameters more complicated and causes appearance of alternating loads acted on the landing module.

Investigations of different landing modules have shown that increased number of engines for soft landing causes growth of loads acted on the vehicle. Maximum axial force for the vehicle with one brake-engine was about 0.02 of engine thrust, for the vehicle with double nozzle (Fig. 1a) -- about 0.2 of total engines thrust ($R_\Sigma$), and for Martian module -- 0.5 $R_\Sigma$. Normal component was 0.005$R_\Sigma$, 0.02$R_\Sigma$, 0.06$R_\Sigma$ correspondingly. The same is true for moment values.

Conclusion

The investigations have shown that processes of drag and soft landing of the space vehicle on the planet surface is a complex gasdynamic problem. General peculiarities of gasdynamic parameters behaviour and loads acted on the vehicle were examined. But unique configuration, strong dependence of aerogasdynamic characteristics from $\kappa_a, \text{Re}_a, \kappa_a$, etc., during landing, complicated flow patterns with generation of regions with continuum, rarified gas and transitive zone -- require experimental simulation of gasdynamics related to the landing process using vacuum chambers and low density wind tunnels.

REFERENCES